

Romer and Ricardo

What is at Stake?

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Current Paper

- Aims to measure fraction of products that are “Romer” or “Ricardo”
 - Some questions about the definitions used for “Romer” and “Ricardo”
 - Some concerns about the measurement procedure
 - What does it mean for two countries to have the blueprint for a “product”?
- Why would we care about the answer to the question of how many products are “Romer” or “Ricardo”?

Big Picture (my take)

- Should we have an Industrial Policy to stimulate innovation?
 - No reason to think that equilibrium innovation is optimal
- U.S. firms invest a lot in innovation
 - NIPA Intangibles Investment now > 5% GDP
 - Corrado et. al. broader measure > 15% GDP
- But U.S. aggregate productivity growth is modest
- Standard growth models imply simply doing more of the same investment will not yield big gains for growth
 - Romer and some Ricardo models
 - Atkeson and Burstein (2019)

Reallocating Innovation

- Potentially big gains from Industrial Policies if the equilibrium allocation of innovative investment across firms is not socially optimal
 - Mankiw and Whinston (Rand 1986)
 - Eaton and Grossman (QJE 1986)
- General models of imperfect competition and firms' innovative investments very hard to solve
 - Ericson and Pakes (ReStud 1995)
- Dynamics of innovation and competition make competition policy even harder
- What do we know about the interaction of imperfect competition and innovation and its implications for economic growth?
 - Not much. (Aghion et. al. 2005 and Peters 2020 notwithstanding)

Existing Growth Models

- Sidestep complications of dynamic imperfect competition
 - For tractability, not realism
 - Both Romer and Ricardo with large step size
- CES demand and constant markups across products and time
 - Conditional on aggregate innovative investment
 - Equilibrium allocation of investment across firms is optimal
 - No role for industrial policy to target the allocation of innovative investments across firms

Questions Raised by Data

- Measured innovative investment is highly concentrated
 - In 2014, top 10% of largest R&D investors worldwide accounted for 70% of R&D and 60% of patents (OECD 2017)
 - In US, 4 industry groups account for 70% of R&D
 - Chemicals, Computers, Transportation Equipment, and Information Technologies
- Is this concentration of R&D optimal?, or the result of skewed equilibrium incentives for investment?
- Universities wrestle with the same question in funding research
 - Chase NIH grants and student interest?
 - Or invest in a broader range of departments?

A Step Toward Expanding Our Set of Growth Models

- Nested CES (Atkeson and Burstein 2008)

- Categories of products $j = 1, 2, \dots, J_t$

- $$C_t = \left(\sum_{j=1}^{J_t} C_{jt}^{1-\frac{1}{\sigma}} \right)^{\sigma/(\sigma-1)}$$

- Consumption within a category products $i = 1, \dots, K_{jt}$

- $$C_{jt} = \left(\sum_{i=1}^{K_{jt}} c_{jit}^{1-\frac{1}{\eta}} \right)^{\eta/(\eta-1)}$$

- Close and distant competitors $\eta > \sigma$

- Firm production $y_{jit} = z_{jit} l_{jit}$ innovate to raise z_{jit}

Implied Demand

- Within a category

$$\bullet \frac{c_{jit}}{C_{jt}} = \left(\frac{p_{jit}}{P_{jt}} \right)^{-1/\eta} \quad \text{with } P_{jt} = \left[\sum_{i=1}^{K_{jt}} p_{jit}^{1-\eta} \right]^{1/(1-\eta)}$$

- Across categories

$$\bullet \frac{C_{jt}}{C_t} = \left(\frac{P_{jt}}{P_t} \right)^{-1/\sigma} \quad \text{with } P_t = \left[\sum_{j=1}^{J_t} P_{jt}^{1-\sigma} \right]^{1/(1-\sigma)}$$

- With $\eta = \sigma$ nests Romer
- With $\eta \rightarrow \infty$ nests Ricardo
- With $\eta \in (\sigma, \infty)$ everything in between

Romer and Ricardo with large step size

- Romer ($\eta = \sigma$):
 - CES residual demand curves for all firms
 - all products sold at a constant markup over marginal cost
 - Equilibrium allocation of innovative investment across firms is optimal (holding aggregate investment fixed)
- Ricardo ($\eta \rightarrow \infty$):
 - With gap between productivity of leader and second firm in each category sufficiently large
 - Equilibrium outcome has same pricing as Romer
 - Competition with second firm in category does not constrain leader's price
 - Equilibrium allocation of innovative investment across firms is optimal (holding aggregate investment fixed)

Everything in between

- Bertrand or Cournot competition among products in a category
- Now markup of price over marginal cost for each firm depends on the firm's market share the category $\mu(s)$
- Markups increasing in category market share $\mu'(s) > 0$
- Effects of innovation on competition
 - A leading firm that innovates gains market share
 - It does not fully pass on the productivity improvement to a lower price for consumers
 - But it also reduces the markups of the follower firms
 - A follower firm that innovates (or a new entrant) forces the leading firm to lower its price
- Welfare impacted by changes in aggregate price index and the level of profits

Ricardo Example

- In Ricardo limit with big step size

- Leader firm 1 prices at monopoly price

$$\bullet p_1 = \frac{\sigma}{\sigma - 1} \frac{1}{z_1}$$

- Innovation by leader $z_1 \uparrow$ lowers leader price
- Innovation by second firm $z_2 \uparrow$ has no impact on equilibrium

- In Ricardo limit with small step size

- Leader firm 1 prices at marginal cost of follower

$$\bullet \frac{\sigma}{\sigma - 1} \frac{1}{z_1} > p_1 = \frac{1}{z_2} > \frac{1}{z_2}$$

- Innovation by leader $z_1 \uparrow$ has no impact on leader price — only increases leader profits
- Innovation by second firm $z_2 \uparrow$ reduces leader price and profits. No impact on production efficiency

Wrapping up

- How many products are “Romer” or “Ricardo”
 - My guess: none (in the demand sense)
 - Every firm has close and more distant competitors
 - No firm prices at unconstrained monopoly price for category
- This view implies equilibrium innovation and competition are tightly connected
- Policy and Research Challenge:
 - What, if anything, do we want to do about that?